

DEFEAT RECONSIDERED AND REPAIRED

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Philosophers commonly distinguish between demonstrative arguments, which are designed to preserve truth, and non-demonstrative arguments, which conserve something else. R. A. Fisher (1936: “Uncertain Inference”, *Proceedings of the American Academy of Arts and Sciences*, 71, pp. 245-58.), for example, thought that statistical reduction was a type of logical, non-demonstrative inference whose aim is to assign a statistical probability to an individual. What is preserved by Fisher’s early proposal for *direct inference* is a presumption of “representativeness” of a statistical class to its individuals. Jon McCarthy and Pat Hayes (1969: “Some Philosophical Problems from the Standpoint of Artificial Intelligence”, *Machine Intelligence*, 4, p. 463-502.) thought that non-demonstrative reasoning was necessary in order for a robot to keep track of the things that remain unchanged by its actions. The consequences wrought by opening a door, for instance, do not typically include the shutting of a window. What is preserved by McCarthy and Hayes’ non-demonstrative *frame conditions* are commonsense assumptions governing office building kinematics.

John Pollock (1987: “Defeasible Reasoning”, *Cognitive Science*, 11, pp. 481-518.) thought that a common feature of these and other examples of non-demonstrative reasoning is the provisional standing of their conclusions, and how the evidential support for those conclusions may be *defeated* by additional information (1987: p. 484):

DEFEATER: Where D and E are jointly consistent propositions, D is a *defeater* for E ’s support for H if and only if E is a reason to believe H and $E \& D$ are not a reason to believe H .

In a recent paper, Jake Chandler (2013: "Defeat Reconsidered", *Analysis*, 73(1), pp. 49-51) identifies an unwarranted symmetry constraint in Pollock's definition, namely

SYMMETRY: For propositions E , D , and H , if both D and E provide a reason to believe H , then D is a defeater for E 's support for H if and only if E is a defeater for D 's support for H (Chandler 2013: p. 50).

Chandler argues, convincingly, that Symmetry should not be a necessary condition for evidential defeat: it is straightforwardly possible for D to defeat the support that E gives to H without E defeating D 's support for H . Chandler then proposes an alternative to Pollock's account, one that avoids Symmetry. But Chandler's fix, which he calls Defeater', runs into a difficulty of its own.

DEFEATER': Where D and E are jointly consistent propositions, D is a *defeater* for E 's support for H if and only if D is a reason to not believe that E is a reason to believe H (Chandler 2013: p. 50).

The problem with Defeater' is that it fabricates phantom support for a defeater to defeat: D may be a reason to not believe that E is a reason to believe H —which thereby suffices for D to defeat E 's support for H —without E being a reason for H in the first place. For example, inspecting the first 10 light bulbs from a production line and finding all 10 defective (E) does not provide a reason to believe that the next bulb off the line is faultless (H). Even so, learning that the last delivery of filaments to the factory are all oxidized (D) is a reason to believe that the 10 defective light bulbs do not provide a reason to believe that the next bulb is faultless. By Defeater', D is a defeater for E 's support for H even though E does not support H .

Defeater' can be repaired by stipulating, as Pollock does in his original analysis, that D is a defeater for E 's support for H only if E gives support for H . This yields the following repair to Chandler's Defeater', namely

DEFEATER'': Where D and E are jointly consistent propositions, D is a *defeater* for E 's support for H if and only if (i) E is a reason to believe H and (ii) D is a reason to not believe that E is a reason to believe H .

Defeater'' enjoys all the advantages of Chandler's Defeater', and does so without the spectacle of phantom support.

References

- Chandler, J. (2013). Defeat Reconsidered. *Analysis*, 73(1): 49-51.
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- McCarthy, J. and Hayes, P. (1969). Some Philosophical Problems from the Standpoint of Artificial Intelligence. *Machine Intelligence*, 4: 463-502.
- Pollock, J. (1986). Defeasible Reasoning. *Cognitive Science*, 11: 481-518.